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| | Reg. No. : | | | | | |
|---------------------|--|---|------------------------|---------------|-------------|--|
| (8) | Question Pape | er Code | : 409 | 62 | | |
| EC 6502 | Electronics and Communication – PRINCIPLES OF Department to Biomedical English | th Semester nunication l IGITAL SIG | Engineerii GNAL PRO | ng OCESSIN | | |
| Time: Three Hours | | | 1 | Maximum | : 100 Marks | |
| | Answer Al | LL questions | | | | |
| | PAI | RT – A | | (10×2 | =20 Marks) | |
| 1. Calculate the 4- | -point DFT of the seque | $nce x(n) = \begin{cases} 1 \end{cases}$ | 0 -1 | 0}. | | |
| | ationship between Four | () | | 1 | | |
| 3. What are the m | ethods used for digitizing | ng the analog | filter into | a digital f | filter? | |
| 4. What is meant | by frequency warping? | | | | | |
| 5. Draw the direct | form realization of FIR | system. | | | | |
| 6. How the zeros i | n FIR filter is located? | | | | | |
| 7. Distinguish bet | ween fixed point arithm | etic and floa | ting point a | arithmetic | 2. | |
| 8. Why is rounding | g preferred over trunca | tion in realiz | ing a digita | l filter? | | |
| 9. Show that the u | ip sampler and down sa | mpler are tir | ne invariar | nt system. | | |
| | ession for the output y(system as in Figure 1. | n) as a funct | ion of the | input x(n) |) for the | |
| | $x(n) \rightarrow \boxed{\uparrow 5} \rightarrow \boxed{\downarrow 1}$ | $0 \rightarrow \uparrow 2$ | → y(n) | | | |
| | Figur | re 1 | | | | |
| | | | | | | |
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| PART – B (5×13=65 Marks) a) i) State and prove any four properties of DFT. (8) ii) Perform circular convolution of the following sequences $x_1(n) = \{1 \ 1 \ 2 \ 1\};$ $x_2(n) = \{1 \ 2 \ 3 \ 4\}.$ (5) (OR) b) i) Mention the differences and similarities between DIT and DIF algorithms. (5) ii) Compute 4 point DFT of a sequence $x(n) = \{0 \ 1 \ 2 \ 3\}$ using DIF and DIT algorithms. (8) a) i) Design an analog Butterworth filter for a given specifications. (7) $0.9 \le H(j\Omega) \le 1 \text{ for } 0 \le \Omega \le 0.2 \pi.$ $ H(j\Omega) \le 0.2 \text{ for } 0.4 \pi \le \Omega \le \pi.$ ii) Apply impulse invariant method and find $H(z)$ for $H(s) = \frac{s+a}{(s+a)^2 + b^2}$. (6) (OR) b) i) Apply bilinear transformation to $H(s) = \frac{2}{(s+1)(s+2)}$ with $T=1$ sec and find $H(z)$. (6) ii) Explain the Lattice-Ladder structure with neat diagram. (7) 3. a) Write the expression for the frequency response of Rectangular window and Hamming window and explain. (7+6) (OR) b) Determine the filter coefficients $h(n)$ obtained by sampling $H_d(e^{j\omega}) = e^{-j(N-1)\omega/2}$ $0 \le \omega \le \frac{\pi}{2}$ |
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| (OR) b) i) Apply bilinear transformation to H(s) = 2/(s+1)(s+2) with T = 1 sec and find H(z). (6) ii) Explain the Lattice-Ladder structure with neat diagram. (7) 3. a) Write the expression for the frequency response of Rectangular window and Hamming window and explain. (7+6) (OR) b) Determine the filter coefficients h(n) obtained by sampling H_d(e^{jω}) = e^{-j(N-1)ω/2} 0 ≤ ω ≤ π/2 |
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| $=0$ $\frac{\pi}{2} \le \omega \le \pi$ |
| for $N = 7$. (13) |
| 4. a) The output signal of an A/D convertor is passed through a first order low pass |
| filter, with transfer function given by $H(z) = \frac{(1-a)z}{z-a}$ for $0 \le a \le 1$. Find the |
| steady state output noise power due to quantization at the output of the digital filter. (13) |
| (OR) |
| b) Briefly explain the following: |
| i) Coefficient quantization error. (4) |
| ii) Product quantization error. (4) iii) Truncation and Rounding. (5) |

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40962 15. a) Explain sampling rate conversion by a rational factor and derive input-output relation in both time and frequency domain. (OR) b) With neat required diagrams explain any two applications of adaptive filtering. PART - C (1×15=15 Marks) 16. a) An FIR Filter is given by the difference equation $y(n) = 2x(n) + \frac{4}{5}x(n-1) + \frac{3}{2}x(n-2) + \frac{2}{3}x(n-3)$ Determine its lattice form. (15)b) How is signal scaling used to prevent overflow limit cycle in the digital filter implementation? Explain with an example. (15)