				Reg. 1	No. : [
1.	31	F	Que	stio	n Pa	ape	r C	od	e :	4]	13	20	1			
		B.E./I		Compt Compt	Fr ater S – DIS	ifth Se	emes and FE M	ter Eng [AT]	gine HEN	erin	g		201	8		
	ime : Thre	e Hour	S									Max	imu	m ; 1	00 N	Iarks
					Answ	ver AL	L que	estio	ns							
						PAR	$\Gamma - A$						(10>	<2=2	0 Ma	arks)
	1. Define	propos	tion.													
	2. Give th			rm of "S	Some 1	men aı	e gia	nt".								27
	3. Define						-									
	4. How n					nade o	ut of	lette	r or	wor	d 'C	омі	PUTI	ER'?		
	5. Show															3
	respec															
	6. Define	Hamil	onian	path.	and the			2.1	710		ne	Marine Marine		nang Inizel		
	7. Define	W	7 W	VV	V.	DI	n		S	Ì.,	C	C) [Υ		
	8. Prove															
	9. Let A												gran	1.		
	10. Prove	that a l	attice	with fiv	ve elen	nents	s not	a Bo	oolea	an a	igeb:	ra.				
						PAR	T – B						(5×	16=8	80 M	arks)
	11. a) i)	Show t table.	hat (7)	P ∧ (7Q	^ R) \	/ (Q ^	R) v (P ^ l	R) ⇐	R,	with	out	usin	g tru	ith	(8)
	ii)	Show t	hat us	ing Rul (OR)	le C.P,	, 7P v	Q, 76	Q v I	R, R	\rightarrow S	⇒ I	2→5	3			(8)
	b) i)	Find th			• ∨ R) .	^ (P v	7Q) A	Also	find	its]	PDN	IF, w	vitho	ut u	sing	(8)
	(A) ii)	truth t		x) [P(x)) v Q(:	x)] ⇒	(∀x) l	P(x)	∨ (∃	x) Q	(x).					(8)

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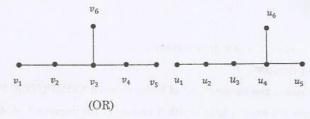
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12. a) i) Prove that $n^3 - n$ is divisible by 3 for $n \ge 1$

(8)

ii) Solve G(k) - 7G(k-1) + 10G(k-2) = 8k + 6. (OR)

- (8)
- b) i) Find the numbers between 1 to 250 that are not divisible by any of the integers 2 or 3 or 5 or 7.
- (8)
- ii) Solve using generating functions : S(n) + 3S(n-1) 4S(n-2) = 0; $n \ge 2$ given S(0) = 3, S(1) = -2.
- (8)
- 13. a) i) State and prove Hand shaking theorem. Hence prove that for any simple graph G with n vertices, the number of edges of G is less than or equal to n(n-1).
 - (8)
 - ii) Establish the isomorphism of the following pairs of graphs.
- (8)



- b) i) Prove that a graph G is disconnected if and only if its vertex set V can be partitioned into two non-empty, disjoint subsets \boldsymbol{V}_1 and \boldsymbol{V}_2 such that there exists no edge in G whose one end vertex is in subset V_1 and the other in subset V_2 .
 - (8)
 - ii) Prove that a connected graph G is an Euler graph if and only if all vertices of G are of even degree.
- (8)
- 14. a) i) Show that (Q+, *) is an abelian group, where * is defined by

$$\mathbf{a} * \mathbf{b} = \frac{\mathbf{ab}}{2}, \ \forall \mathbf{a}, \ \mathbf{b} \in \mathbf{Q}^{+}$$
 (8)

ii) Prove that kernel of a homomorphism is a normal subgroup of G. (8)

(OR)

- b) i) Prove that intersection of two normal subgroups of a group G is again a normal subgroup of G.
- (8)
- ii) Let G be a finite group and H be a subgroup of G. Then prove that order of H divides order of G. (8)

 i) Show that (N, ≤) is a partially ordered set, where N is the set of all positive integers and ≤ is a relation defined by m ≤ n if and only if n - m is a non-negative integer. ii) In a complemented and distributive lattice, prove that complement of each element is unique. (OR) b) i) Let D₃₀ = {1, 2, 3, 5, 6, 10, 15, 30} with a relation x ≤ y if and only if x divides y. Find: i) All lower bounds of 10 and 15 ii) GLB of 10 and 15 iii) All upper bound are 10 and 15 iv) LUB of 10 and 15 v) Draw the Hasse diagram for D₃₀. ii) Let (L, , ∨, ∧, ≤) be a distributive lattice and a, b, ∈ L if a ∧ b = a ∧ c and a ∨ b = a ∨ c. Then show that b = c. 		-3-	41320
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 i) All lower bounds of 10 and 15 ii) GLB of 10 and 15 iii) All upper bound are 10 and 15 iv) LUB of 10 and 15 v) Draw the Hasse diagram for D₃₀. ii) Let (L, , ∨, ∧, ≤) be a distributive lattice and a, b,∈ L if a ∧ b = a ∧ c and a ∨ b = a ∨ c. Then show that b = c. 	ii) In a complement	ted and distributive lattice, prove ue.	e that complement of each (8
v) Draw the Hasse diagram for D_{30} . ii) Let $(L,$	Find: i) All lower ii) GLB of 10	bounds of 10 and 15 and 15	y if and only if x divides y.
www.binils.com	v) Draw the ii) Let (L, , ∨, ∧, ≤)	Hasse diagram for D_{30} . be a distributive lattice and a, l	$a \wedge b = a \wedge c$ and (8)
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